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**Problem 1. (1 point)** Library/WHFreeman/Holt\_linear\_algebra/Chaps\_1-4/3.5.6.pg

Fill in the missing values to make the following matrix a stochastic matrix.

$$\begin{bmatrix} \_ & 0.86 & 0.46 \\ 0.93 & \_ & 0.06 \\ 0.07 & 0.12 & \_ \end{bmatrix}$$

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**Problem 2. (1 point)** METUNCC/Applied\_Math/markov/trans\_matrix.pg

- If you get 0 pages of homework this week, then with probability 0.9 you get 4 pages of homework next week, and with probability 0.1 you get 25 pages of homework next week.
- If you get 4 pages of homework this week, then with probability 0.2 you get 0 pages of homework next week, and with probability 0.4 you get 25 pages of homework next week.
- If you get 25 pages of homework this week, then with probability 0.4 you get 0 pages of homework next week, and with probability 0.3 you get 25 pages of homework next week.

Write the transition matrix for this system using the state vector  $v = \begin{bmatrix} 0 \text{ pages} \\ 4 \text{ pages} \\ 25 \text{ pages} \end{bmatrix}$ .

$$T = \begin{bmatrix} \_ & \_ & \_ \\ \_ & \_ & \_ \\ \_ & \_ & \_ \end{bmatrix}$$

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**Problem 3. (1 point)** METUNCC/Applied\_Math/markov/state\_vect.pg

A Markov system with two states satisfies the following rule.

- If you are in state 1 then  $\frac{2}{10}$  of the time you change to state 2.
  - If you are in state 2 then  $\frac{4}{10}$  of the time you remain in state 2.
- At time  $t = 0$ , there are 100 people in state 2 and no people in the other state.

Write the transition matrix for this system using the state vector  $v = \begin{bmatrix} \text{state 1} \\ \text{state 2} \end{bmatrix}$ .

$$T = \begin{bmatrix} \_ & \_ \\ \_ & \_ \end{bmatrix}$$

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Write the state vector for time  $t = 0$ .

$$v_0 = \begin{bmatrix} \_ \\ \_ \end{bmatrix}$$

Compute the state vectors for time  $t = 1$  and  $t = 2$ .

$$v_1 = \begin{bmatrix} \_ \\ \_ \end{bmatrix}$$
$$v_2 = \begin{bmatrix} \_ \\ \_ \end{bmatrix}$$

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**Problem 4. (1 point)** METUNCC/Applied\_Math/markov/stable\_prob.pg

A Markov system with two states satisfies the following rule.

- If you are in state 1 then  $\frac{8}{10}$  of the time you remain in state 1.
- If you are in state 2 then  $\frac{6}{10}$  of the time you remain in state 2.

Write the transition matrix for this system using the state vector  $v = \begin{bmatrix} \text{state 1} \\ \text{state 2} \end{bmatrix}$ .

$$T = \begin{bmatrix} \text{---} & \text{---} \\ \text{---} & \text{---} \end{bmatrix}$$

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Find the long term probability (stable state vector).

$$v_s = \begin{bmatrix} \text{---} \\ \text{---} \end{bmatrix}$$

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